ABSTRACT. A normed space E is an inner product space if and only if for every 2-dimensional subspace V and every segment $I \subset V$, the corresponding metric projections satisfy the commutative property $P_I P_V = P_V P_I$.